

A tunable carbon nanotube electromechanical oscillator

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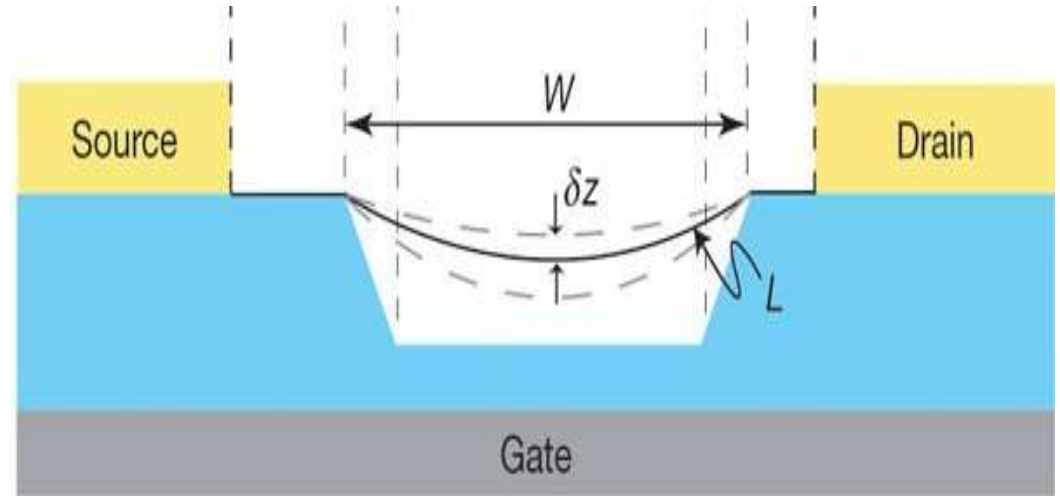
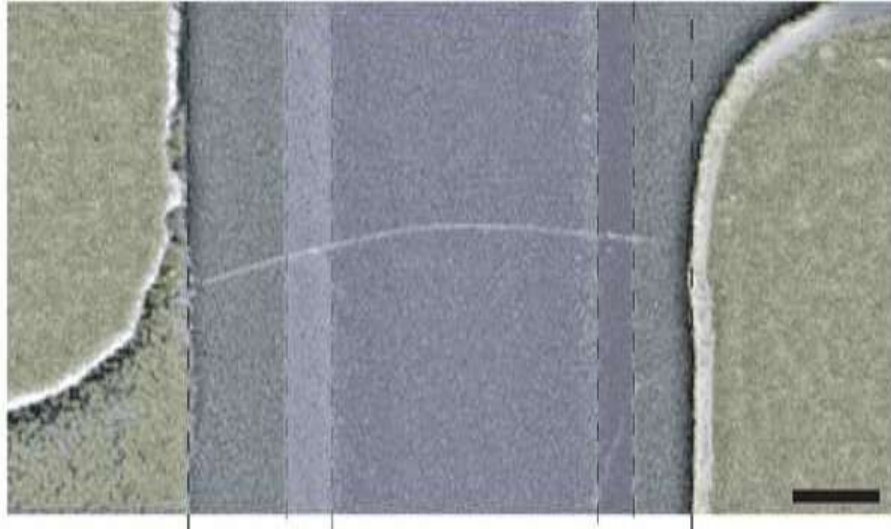
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**They studied the oscillation modes of a
doubly clamped singlewall nanotube**

or

**They were playing a very small one string
guitar**

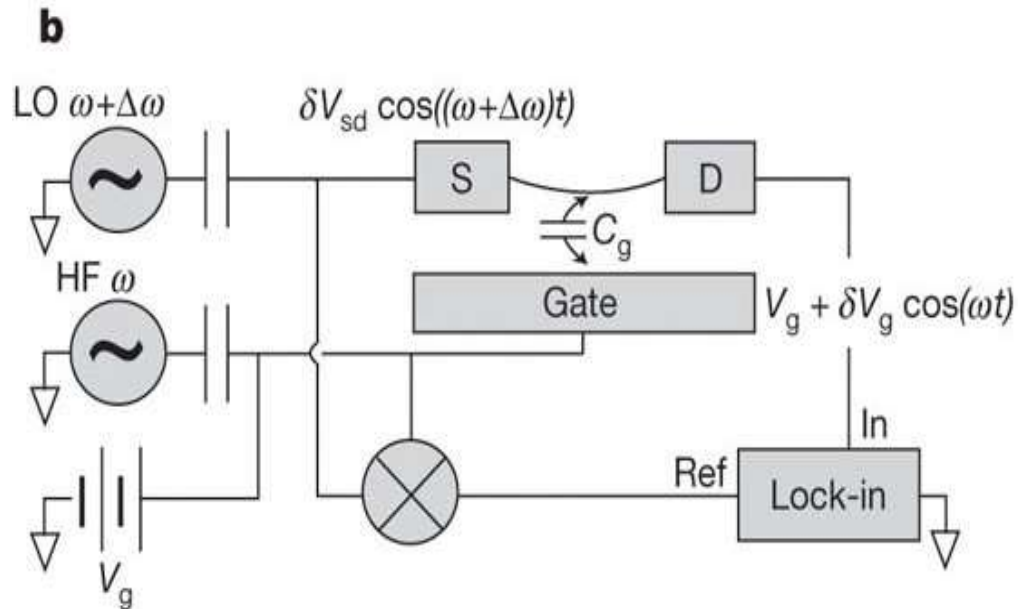
Sample preparation



- Silicon/SiO₂ – 500nm (how do they etch the sample?)
- CVD Single- few-walled nanotubes
- Semiconducting small gap tube
- Diameter 1-4 nm
- Cr/Au contacts, $L \sim 1.5 \text{ um}$

How to control the nanotube's tension and make it vibrating

The experimental set-up



- Room Temperature
- Vacuum, pressure 10^{-4} torr

V_g DC produces a static force – changes the tension

δV_g AC produces a periodic force - sets the tube into motion

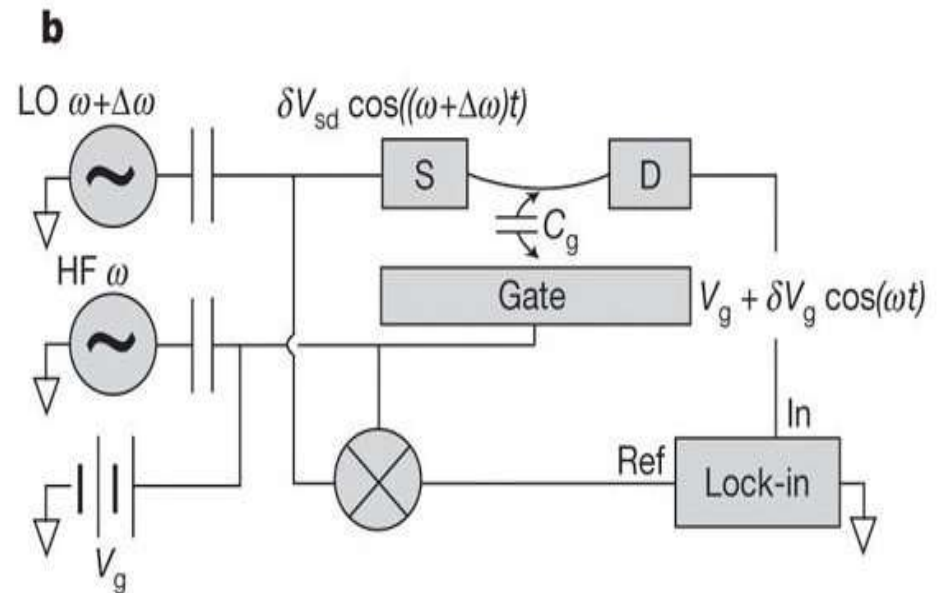
The nanotube mixer

$$\cos(at)\cos(bt) = \frac{1}{2}(\cos[(a-b)t] + \cos[(a+b)t])$$

- For Semiconducting small gap CNT

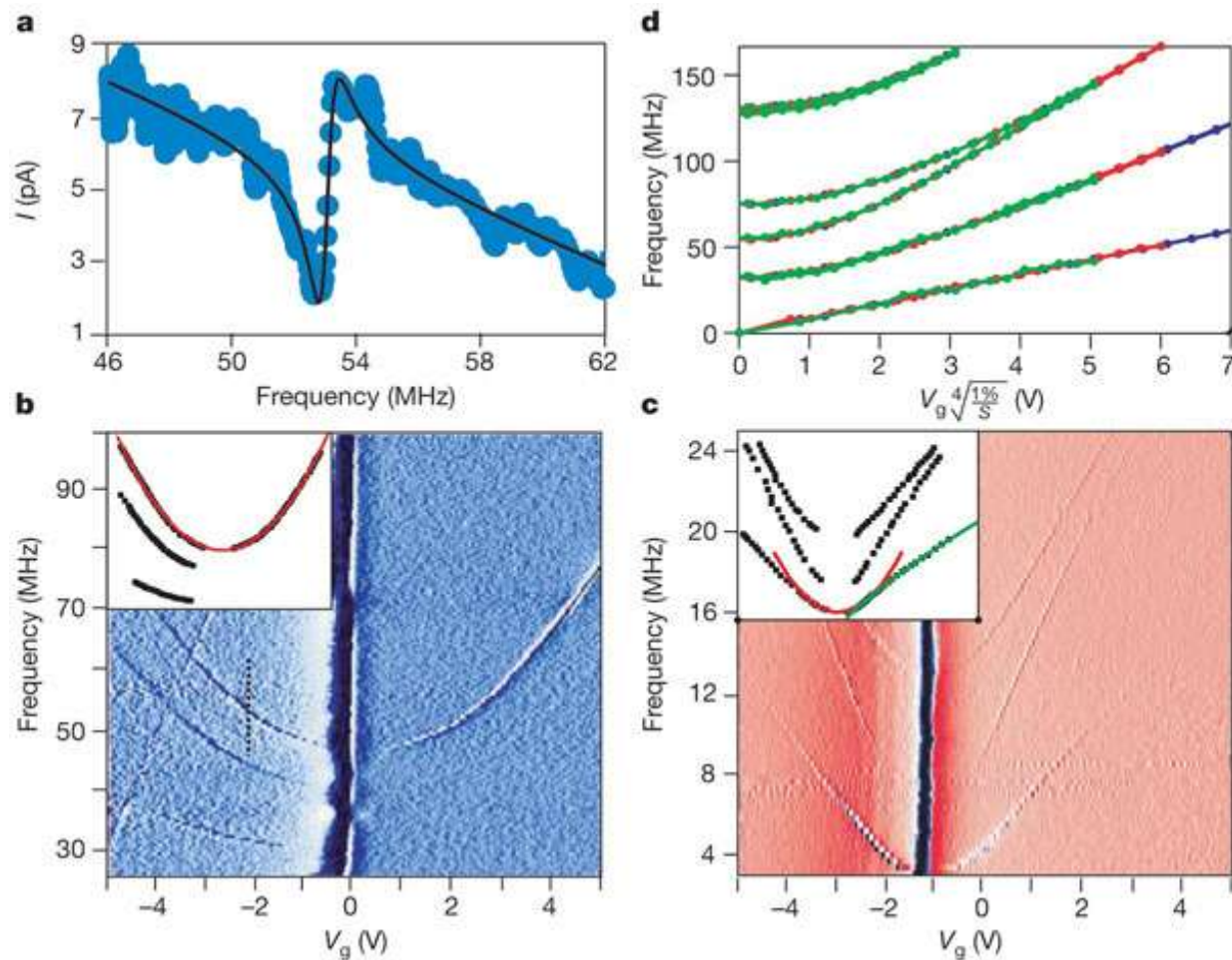
$$\Delta G \propto \delta q = C_g \delta V_g + V_g \delta C_g$$

$$G \approx G_0 + \frac{dG}{dq} \delta q = G_0 + \frac{dG}{C_g dV_g} \delta q$$



- The expected current is

$$\delta I^{lock-in} = \delta g \delta V_{sd} = \frac{1}{2\sqrt{2}} \frac{dG}{dV_g} (\delta V_g + V_g^{DC} \frac{\delta C_g}{C_g}) \delta V_{sd}$$



Three different regimes:

- Low V_g , rigidity of the tube / $\Delta\omega \sim V_g^2$
- Intermediate V_g , – catenary / $\Delta\omega \sim V_g$
- High V_g / $\Delta\omega \sim V_g^{2/3}$

Many Low energy modes (work still in progress)

- Asymmetry in the clamping
- Extra mass coating the tube

The nanotube oscillator

Dependence of Q as function of V_g

δz can be estimated by assuming a logarithmic model for C_g.

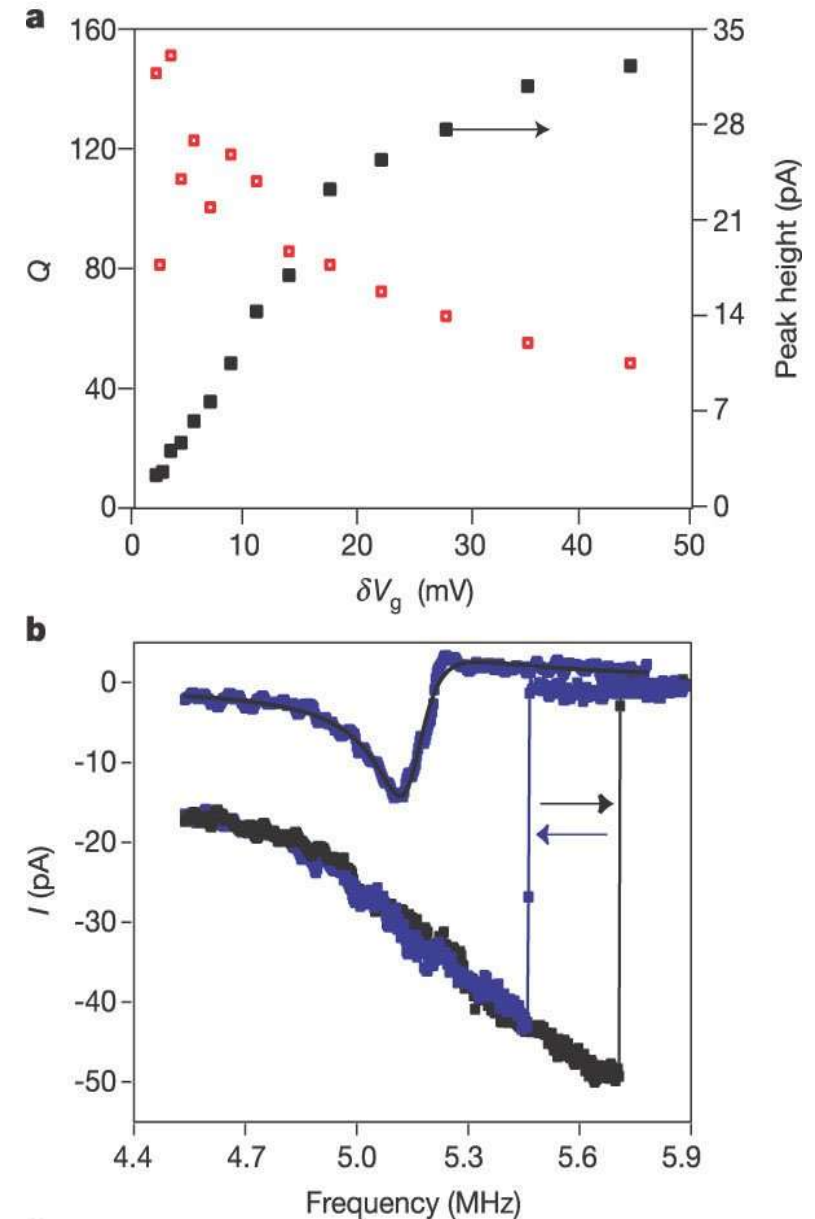
$$\delta z \sim 10 \text{ nm @ } \delta V_g \sim 7 \text{ mV}$$

It's possible to calculate the force and effective spring constant (for each resonance)

$$F = C' V_g^{DC} \delta V_g = 60 \text{ fN}$$

$$k_{eff} = \frac{F}{\delta z} Q \approx 4 \times 10^{-4} \text{ Nm}^{-1}$$

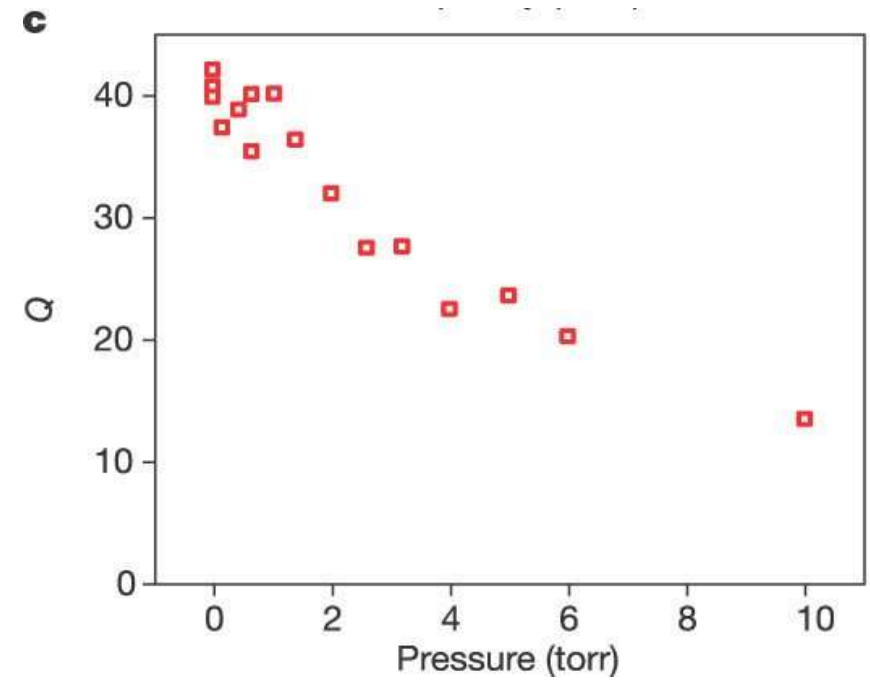
Switching to the bistable (nonlinear) regime
dz ~ 30nm



$$\delta I^{lock-in} = \delta g \delta V_{sd} = \frac{1}{2\sqrt{(2)}} \frac{dG}{dV_g} (\delta V_g + V_g^{DC} \frac{\delta C_g}{C_g}) \delta V_{sd}$$

Dissipation:

- Air drag
- Ohmic losses (seems to be negligible)
- Movements of adsorbates
- Clamping losses



The force sensitivity

Q varies between 40-200 (MWNTs and LowT SWNTs 200-4500)

Force sensitivity s limited by electronic noise (from the tube) and thermal vibrations

$$s_{en} \approx 1 \text{ fN} / \sqrt{\text{Hz}}$$

$$s_t \approx 20 \text{ aN} / \sqrt{\text{Hz}}$$

s observed is 50 times lower than this limit

- The expected sensitivity at 1K should be of the order of the highest sensitivities measured.